

GHCEMFMP Name: _____ Date: _____


Problem Solving with Optimizing Rectangles

- A store owner uses 16 m of rope for a rectangular display. There is a wall on one side, so the rope is only used for the other 3 sides.
 - What are the dimensions of the maximum area that can be enclosed?
- How are these dimensions related?

- Cody has 20 m of fencing to build a rectangular pen for his dog. One side of the pen will be against his house. What dimensions give the maximum area for the pen?

Sep 11-10:34 AM

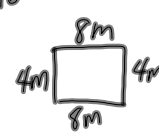
#1 16m of rope → 3 sides



(a) $A_{max} = ?$

$$2w + w + w = 16$$

$$\frac{4w}{4} = \frac{16}{4}$$

$$w = 4$$


The dimensions are 4m by 8m.

(b) The length is 2 times the width.

Sep 12-1:07 PM

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Optimize Rectangles

- Michael was building a rectangular patio with 36 square stones. To save money on edging, Michael decides to place the patio against the side of the house. Now, edging will be needed on only three sides of the patio.
 - What should the dimensions be, in terms of square stones, so the patio uses the minimum length of edging? Justify your answer. (Hint: Show at least 3 possible dimensions to justify.)
- Michael has a patio length 30 cm. What is the minimum length of edging?

36 stones (only edging 3 sides)

1 x 36 → 1 + 36 + 1 = 38

2 x 18 → 2 + 18 + 2 = 22

3 x 12 → 3 + 12 + 3 = 18 → shortest

4 x 9 → 4 + 9 + 4 = 17

6 x 6 → 6 + 6 + 6 = 18

Dimensions: 4 stones by 9 stones

(a) Edging length 30 cm. What is the minimum length of edging?

$w = 4 \text{ stones} = 4 \times 30 = 120 \text{ cm}$

$l = 9 \text{ stones} = 9 \times 30 = 270 \text{ cm}$

Edging = 2(120) + 270 = 510 cm

(b) Edging length 30 cm. What is the minimum length of edging? Justify your answer.

Possible dimensions: Area = 24 stones

1 x 24 → 1 + 24 + 1 = 26

2 x 12 → 2 + 12 + 2 = 16

3 x 8 → 3 + 8 + 3 = 14

4 x 6 → 4 + 6 + 4 = 14

Answers: 1. 120 cm, 270 cm. 2. 14 stones. 3. 14 stones.

Either 3 stones by 8 stones or 4 stones by 6 stones

Sep 11-10:35 AM